## Objectives :

After completing this unit, the student will be able to :
1-Identify concentration units and know how to use them appropriately .


2-Prepare solutions from initial ingredients and by dilution of existing solutions using various concentration units .

3- Convert one concentration unit to another e.g convert molarity to ppm or ppb or normality and vice versa ...etc .

4- differentiate between molarity and normality and between molrity and activity .
5- understand how to calculate the equivalent weight of a substance .

## Introduction

Solutions can be any solute, dissolved in any solvent. Very rarely do you work with any chemical in its pure solid form. Most chemical reactions, both in nature and in the laboratory, take place in a solution. Biological chemistry depends upon reactions which take place in water (as a solvent). This is especially true for reactions involving enzymes . Solutions are everywhere. They enable the body to incorporate molecules into the body systems. Medicines use solutions for good absorption, so do vitamins and supplements, food, cosmetics, stains, and paints. The relationships between the amount of solute and the amount or volume of solution is called concentration .There are two common ways to express concentration these will be the subject of this unit .

## Concentration

It is a term that expresses the relationship between the amount ( quantity ) of solute (solu.) and often the volume of the solution ( soln. ) and can be expressed in one of two methods depending on the units used for the quantity of solute .

## Physical Method :

In this method we use the gram and its derivatives to express the weight of solute ( Wt. of solu. ) :
One gram $(\mathrm{g})=10^{3}$ milligram $(\mathrm{mg})=10^{6}$ microgram $(\mu \mathrm{g})$

$$
=10^{9} \operatorname{nanogram}(\mathrm{ng})=10^{12} \text { picogram }(\mathrm{pg})
$$

And we use the liter and its derivatives to express the volume of solution ( Vol. of soln. ) :

## Physical Method ( Wt./ / V )

One liter $(\mathrm{L})=10^{3}$ milliliter $(\mathrm{mL})=10^{6}$ microliter $(\mu \mathrm{L})$

$$
=10^{9} \text { nanoliter }(\mathrm{nL})=10^{12}(\text { picoliter }(\mathrm{Pl})
$$

we can use several expressions such as

$$
\begin{aligned}
g / L & =\frac{\text { Wt. of solu. }(g)}{\text { Vol. of soln }(L)} \\
m g / m l & =\frac{\text { Wt. of solu. }(m g)}{\text { Vol. of soln. }(m L)}
\end{aligned}
$$

And so on .

## Physical Method ( Wt. / V)

Example : how much weight is needed to prepare 500 mL solution of $5(\mathrm{~g} / \mathrm{L})$ of substance A ? Solution :

$$
5(g / L)=\frac{x(g)}{500(m L) X 10^{-3}(L)}, x=5 \times 0.5=2.5 g
$$

Example : 10 g of substance B have been dissolved in water and the volume is completed with water to 200 ml . calculate the concentration of B in the following terms: $\mathrm{g} / \mathrm{L}, \mathrm{mg} / \mathrm{L}, \mu \mathrm{g} / \mathrm{ml}, \mathrm{ng} / \mathrm{ml}$ and $\mathrm{pg} / \mu \mathrm{L}$ ?

## Physical Method ( Wt. / V)

Solution :

$$
\begin{aligned}
& g / L=\frac{10(g)}{200(m l) X 10^{-3}(L)}=50 \\
& m g / L=\frac{10(g) X 10^{3}(m g)}{200(m l) X 10^{-3}(L)}=50 X 10^{3} \\
& \mu g / m l=\frac{10(g) X 10^{6}(\mu g)}{200(m l)}=50 X 10^{3} \\
& n g / m l=\frac{10(g) X 10^{9}(n g)}{200(m l)}=50 \times 10^{3} \\
& p g / \mu L=\frac{10(g) X 10^{12}(\mathrm{pg})}{200 X 10^{3}(\mu L)}=50 X 10^{6}
\end{aligned}
$$

## Physical Method ( ppm )

Example : You have a solution of solute B its concentration is $10 \mu \mathrm{~g} \mathrm{~B} / \mathrm{ml}$. Calculate the weight of B in 5 ml of this solution?

Solution :

$$
10(\mu g B / m l)=\frac{x(\mu g B)}{5 m l} \therefore x=10 \times 5=50 \mu g B
$$

parts per million ( ppm ) : this expression is among the physical method which means parts of solute in a million parts of the solution. If we say 500 ppm of solute B that means 500 parts ( g or mg or $\mu \mathrm{g} \ldots$. etc.) in a million parts ( g or mg or $\mathrm{g} \mu$.... etc.) of the solution that means also every million parts of solution contains 500 parts of solute B . and can be expressed according to the type of solution as follows :

## Physical Method ( ppm )

( a ) Solid solute in a solid solution : such as an element in an alloy

$$
p p m=\frac{\text { Wt.of solu. }(\mathrm{g} . m g . . .)}{\text { Wt.of soln.(g.mg..) }} \times 10^{6}
$$

where the weights of both the solute and the solution are expressed with the same unit ( g or mg or $\mu \mathrm{g}$...etc ) and we multiply by $10^{6}$

## Physical Method ( ppm )

Instead of multiplying by $10^{6}$ we can use a weighing unit for the solution that is equal to million units used for the solute :

$$
p p m=\frac{W t . \text { of solu. }(\mathrm{mg})}{W t . \text { of soln. }(\mathrm{kg})}=\frac{W t . \text { of solu. }(\mu \mathrm{g})}{W t . \text { of soln. }(\mathrm{g})}
$$

Where we note that one kilogram ( Kg ) equals million milligrams ( mg ) and also one gram( g ) equals million micrograms
 $(\mu \mathrm{g})$ and so on

## Physical Method ( ppm )

(b) Liquid - liquid solution : such as dissolving an alcohol in water : Same way as before, but here we use volume units instead of the weight units and either we unite the unit of both the solute and the solution ( L or $\mathrm{mL} \ldots \mathrm{etc}$ ) and multiply by $10^{6}$ thus :

$$
p p m=\frac{\text { Vol .of solu .(ml .L.) }}{\text { Vol .of soln. }(m l . . L . .)} \times 10^{6}
$$

Or we use a volume unit for the solution equal million of the unit used for the solute thus :

$$
\text { ppm }=\frac{\text { Vol. of solu. }(\mu \mathrm{L})}{\text { Vol. of soln. }(L)}=\frac{\text { Vol. of solu. }(n L)}{\text { Vol. of soln } \cdot(m L)}
$$

## Physical Method ( ppm )

where one liter ( L ) equal to million microliter ( $\mu \mathrm{L}$ ) and one milliliter ( mL ) equal to million nanoliter ( nL ) .
( c ) solid - liquid solution : such as dissolving a salt in water. Water is a common solvent and its density is $1 \mathrm{~g} / \mathrm{mL}$ at room temperature therefore one liter of water solution weigh 1000 g which is one Kilogram ( Kg ) assuming its density will not be affected by dissolving trace amounts of solute in it. Therefore we can deal with the solid - liquid solution in the same manner as we did with solid-solid or liquid - liquid solutions :

## Physical Method ( ppb )

$$
\begin{aligned}
p p m & =\frac{\text { Wt.of solu. }(m g)}{\text { Vol. of soln} \cdot(L)} \equiv \frac{m g}{K g} \\
& =\frac{\text { Wt.of solu } \cdot(\mu g)}{\text { Vol. of soln. }(m L)} \equiv \frac{\mu g}{g}
\end{aligned}
$$

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## Parts per billion ( ppb )

The same as mentioned in the above ppm term, but instead of using $10^{6}$ we use $10^{9}$ or we use a unit for the solution (denominator ) equal to one billion unit used for the solute (numerator) as can be seen from the following formulas:

## Physical Method (ppb )

(a) Solid - solid solution :

$$
p p b=\frac{\text { Wt.of solu.(g..mg..) }}{\text { Wt.of soln.(g..mg..) }} \times 10^{9}
$$

Or

$$
p p b=\frac{\text { Wt. of solu. }(\mu \mathrm{g})}{\mathrm{Wt} . \text { of soln. }(\mathrm{Kg})}=\frac{\text { Wt.of solu. }(\mathrm{ng})}{\mathrm{Wt} . \text { of soln. }(\mathrm{g})}
$$

Note that one $(\mathrm{Kg})$ equal to billion $(\mu \mathrm{g})$ and one $(\mathrm{g})$ equal to billion( ng$)$ and so on .
(b) liquid - liquid solution :

$$
p p b=\frac{\text { Vol. of solu. }(\text { L.ml })}{\text { Vol. of soln. }(\text { L.ml })} \times 10^{\circ}
$$

Or

$$
p p b=\frac{\text { Vol of solu }(n L)}{\operatorname{Vol} \text { of soln. }(L)}=\frac{\text { Vol of solu }(p L)}{\operatorname{Vol} \text { of soln. }(m L)}
$$

## Physical Method (ppb )

One liter ( L ) is equal to billion nanoliter ( nL ) and one milliliter ( mL ) is equal to billion picoliter ( pL ) and so on.
(C ) Solid - liquid solution :

$$
p p b=\frac{\text { Wt.of solu. (ug })}{\text { Vol.of soln.(L) }}=\frac{\text { Wt.of solu.(ng })}{\text { Vol.of soln. }(\mathrm{mL})}
$$

One liter ( L ) of the aqueous solution weigh one( Kg ) as mentioned above which is equal to billion $(\mu \mathrm{g})$. Likewise
 one milliliter of aqueous solution weigh one (g) which is equal to billion (ng) and so on .

## Physical Method ( $\%_{w / w}$ )

Percentages : Among the physical method for expressing the concentration the following percentages expressions :
(1) Weight per weigh percentage
( $\% \mathrm{w} / \mathrm{w}$ ) : the weight of solute is divided by the weight of solution ( both having the same weighing unit ) and multiplying by 100 :


## Physical Method ( $\%_{w / v}$ )

This expression is used for solid - solid solution but it is common with all sorts of solutions because mass unlike volume does not change by changing temperature .
(2) weight per volume percentage ( $\%_{w / v}$ ): Weight of solute usually in grams divided by volume of solution usually in milliliters multiplying by 100 :

$$
\%_{w / v}=\frac{\text { Wt. of solu. }(g)}{\text { Vol. of soln. }(m L)} \times 100
$$

(3) Volume per volume percentage ( $\%_{\mathrm{V} / \mathrm{v}}$ ) :

$$
\%_{v / v}=\frac{\text { Vol.of solu. }(\text { L.. } m L \ldots . .)}{\text { Vol. of soln. }(L . . m L . . .)} \times 100
$$



## Physical Method ( Examples)

## Example :

How many mg is required to prepare 500 mL solution of a substance B of each of the following concentration units :
(1)2000 ppb
(2) 500 ppm
(3) $5 \mathrm{~g} / \mathrm{L}$
(4) $10 \%_{W / V}$ ?

## Solution :

(1) $2000 \mathrm{ppb}=\frac{\text { Wt. of solu. }(\mu \mathrm{g})}{500(\mathrm{~mL}) \times 10^{-3}(L)}$

Wt. of solu. $(\mu \mathrm{g})=2000 \times 500 \times 10^{-3}=1000 \mu \mathrm{~g}=1 \mathrm{mg}$
(2) $500 \mathrm{ppm}=\frac{\text { Wt. of solu. }(\mathrm{mg})}{500(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}$

Wt. of solu. $(\mathrm{mg})=500 \times 500 \times 10^{-3}=250 \mathrm{mg}$
(3) $5 \mathrm{~g} / \mathrm{L}=\frac{\text { Wt. of solu. }(\mathrm{g})}{500(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}$

Wt. of solu. $(\mathrm{g})=5 \times 500 \times 10^{-3}=2.5 \mathrm{~g}=2500 \mathrm{mg}$
(4) $10 \%_{w / v}=\frac{\text { Wt.of solu. }(\mathrm{g})}{500(\mathrm{~mL})} \times 100$

Wt. of solu. $(g)=\frac{10 \times 500}{100}=50$

## Physical Method (Examples)

- Example : 5 g of an alloy containing 10 mg of copper. Calculate the concentration of copper in ppm and ppb units in this alloy ?
- Solution : This is an example of solid - solid solution .

$$
\begin{aligned}
& p p m=\frac{10(\mathrm{mg})}{5(g) X 10^{-3}(\mathrm{Kg})}=\frac{10(\mathrm{mg}) X 10^{3}(\mu g)}{5(g)}=2 \times 10^{3} \\
& O r=\frac{10(\mathrm{mg})}{5(\mathrm{~g}) X 10^{3}(\mathrm{mg})} \times 10^{6}=\frac{10(\mathrm{mg}) X 10^{-3}(\mathrm{~g})}{5(\mathrm{~g})} \times 10^{6}=2 \times 10^{3} \\
& p p b=\frac{10(\mathrm{mg}) X 10^{3}(\mu \mathrm{~g})}{5(\mathrm{~g}) X 10^{-3}(\mathrm{Kg})}=\frac{10(\mathrm{mg}) X 10^{6}(\mathrm{ng})}{5(\mathrm{~g})}=2 \times 10^{6} \\
& O r=\frac{10(\mathrm{mg})}{5(g) X 10^{3}(\mathrm{mg})} \times 10^{9}=\frac{10(\mathrm{mg}) X 10^{-3}(\mathrm{~g})}{5(\mathrm{~g})} \times 10^{9}=2 \times 10^{6}
\end{aligned}
$$

## Physical Method ( Examples)

Example : How many grams there in 50 ml of 500 ppm solution of a substance?
Solution :

$$
\begin{aligned}
& 500 \mathrm{ppm}=\frac{\text { Wt. of solu }(\mathrm{mg})}{50(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})} \\
& \text { Wt. of solu. }(\mathrm{mg})=500 \times 50 \times 10^{-3}=25 \mathrm{mg}=0.025 \mathrm{~g}
\end{aligned}
$$

Example : 2 g of a substance have been dissolved in water and the volume was completed to 100 ml . Calculate the concentration of this substance in this solution using the following units (1) g/L (2) mg/mL (3) $\%_{w / v}$ (4) ppm (5) ppb ?

Solution :

$$
\text { (1) } g / L=\frac{2(g)}{100(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}=20
$$

## Physical Method ( Examples)

(2) $m g / m L=\frac{2(g) X 10^{3}(m g)}{100}=20(\mathrm{mg} / \mathrm{mL})$
(3) $\%_{w / v}=\frac{2(g)}{100(m L)} \times 100=2$
(4) $\mathrm{ppm}=\frac{2(\mathrm{~g}) \times 10^{3}(\mathrm{mg})}{100(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}=20 \times 10^{3}$
(5) $\quad p p b=\frac{2(g) \times 10^{6}(\mu \mathrm{~g})}{100(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}=20 \times 10^{6}$

## Measuriment Units and Cencentration Araleoles

## What is Parts Per Million (ppm)?

1 PPM in water chemistry represents 1 milligram/liter or $1 \mathrm{mg} / \mathrm{l}$

## PPM Analogics

1 second in 11.5 days
1 pounds in $\sim 120,000$ gallons of water
What is Parts Per Billion (ppb)?

1 PPB in water chemistry represents 1 microgram/liter or 1 ug/l

## PPB Analogics

1 second in nearly 32 years
1 pounds in 120 million gallons of water

## Chemical Method

Chemical method for expressing concentration In this method we use chemical units to express the quantity of solute instead of the gram and its derivatives as we saw in the physical method . The chemical units for the molar concentration are , mole and millimole ( mmole ), and for the normal concentration are, equivalent weight ( eq.wt. ) and milliequivalent weight (meq.wt.) . Note that one mole $=10^{3}$ mmoles and one eq.wt. $=10^{3}$ meq.wt. . With regard to the volume of the solution we use the same units as in the physical method i.e the liter and its derivatives .

Unit 2

## Chemical Method



## Chemical Method ( Molarity )

## Molarity or Molar Concentration (M) :

The molar concentration can be expressed either : by the number of moles of solute $[$ moles $=\mathrm{Wt}$. of solute (g) / molecular weight of solute (mw) ] in one liter of the solution and can be calculated by dividing the number of moles of solute on the volume of the solution in liters as indicated by the following formula :

$$
\begin{aligned}
\text { Molar concentration }(M)= & \frac{\text { no.of moles of solu. }}{\text { Vol.of soln. }(L)} \\
& =\frac{\left[\frac{\text { Wt.of solu. }(g)}{m w \text { of solu. }}\right]}{\text { Vol.of soln. }(L)}
\end{aligned}
$$

## Concentration and Molarity (Molar Concentration) With Mr. Causey <br>  <br>  <br> 

## Chemical Method ( Molarity )

Or by the number of mmoles of solute [ mmoles $=\mathrm{Wt}$. of solute $(\mathrm{mg}) / \mathrm{mw}$ of solute ] in one mL of the solution and can be calculated by dividing the number of mmoles of solute on the volume of solution in mL as indicated by the following formula :

Molar Concentration $(M)=\frac{\text { no. of mmoles of solu. }}{\text { Vol. of soln. }(m L)}$

$$
=\frac{\left[\frac{\text { Wt. of solu. }(\mathrm{mg})}{m w \text { of solu. }}\right]}{\text { Vol.of soln. }(m L)}
$$



## Chemical Method ( Molality )

There is a concentration expression called molality (m) which is equal to the number of moles of solute in one Kg of solvent .This tem is not commonly used in analytical chemistry.


## Chemical Method ( Molarity Examples)

Example : Describe the preparation of 500 mL of $5.0 \mathrm{M} \mathrm{HNO}_{3}$ from the concentrated commercial reagent that is $70 \%_{w / w}$ and has a specific gravity of 1.4 $\mathrm{g} / \mathrm{mL}$ ? $\mathrm{mw}\left(\mathrm{HNO}_{3}\right)=63$

Solution: Suppose we have 1000 mL ( one liter) of the concentrated solution so its weight will be $1000 \times 1.4=1400 \mathrm{~g} / \mathrm{L}$. First we calculate the weight of $\mathrm{HNO}_{3}$ in one liter of this concentrated solution by applying the following usual formula :

$$
70 \%_{w / w}=\frac{W t . o f ~ H V O_{3}(g / L)}{1400(g / L)} \times 100
$$

$$
\text { Wt.of } \mathrm{HNO}_{3}(\mathrm{~g} / \mathrm{L})=\frac{70 \times 1400}{100}=980 \mathrm{~g} / \mathrm{L}
$$

Then we calculate the molarity of the concentrated solution :

## Chemical Method ( Molarity Examples)

$$
M_{\mathrm{HNO}_{3}}=\frac{\text { moles of } \mathrm{HNO}_{3} / \mathrm{L}}{V_{L}}=\frac{\frac{980}{63}}{1}=15.6 \mathrm{M}
$$

After that we apply the dilution formula :
$M_{1} \times V_{1}=M_{2} \times V_{2}$ $15.6 \times \mathrm{V}_{1}=5 \times 500(\mathrm{~mL})$

$$
\mathrm{V}_{1}=160.26 \mathrm{~mL}
$$



## Chemical Method ( Molarity Examples)

Example : Calculate the number of grams of $\mathrm{NaCl}(\mathrm{mw}=58.5)$ in 50 ml of 0.25 M NaCl ?

Solution :

$$
\begin{aligned}
& M=\frac{\text { no. of moles }}{V o l .(L)}=\frac{\frac{W t \cdot(g)}{m w}}{V o l \cdot(L)} \\
& 0.25=\frac{\left[\frac{W t \cdot(g)}{58.5}\right]}{50(m L) \times 10^{-3}(L)}
\end{aligned}
$$

Example : 1.3 g of $\mathrm{AgNO}_{3}(\mathrm{mw}=$ 170 ) was dissolved in water and the volume was completed with water to 250 mL . Calculate the molar concentration of $\mathrm{AgNO}_{3}$ in this solution?

Solution :

$$
M=\frac{\left[\frac{1.3(\mathrm{~g})}{170}\right]}{250(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}=0.03 \mathrm{M}
$$

## Chemical Method ( Molarity Examples)

Example : How many mL you should take from 0.1 M solution of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ compound ( $\mathrm{mw}=142$ ) to obtain 5 g of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ ?

## Solution :

$$
0.1=\frac{\left[\frac{5 \cdot(g)}{142}\right]}{V_{l}}
$$

$$
V_{l}=0.352(l)=352 \mathrm{ml}
$$

Example: Calculate the concentration of $\mathrm{K}^{+}(\mathrm{aw}=39.1)$ in $\mathrm{g} / \mathrm{L}$ unit in a solution resulting from mixing 200 mL of 0.1 M of $\mathrm{K}_{2} \mathrm{SO}_{4}$ with 100 mL of 0.25 M of KCl ?
Solution : Note that the number mmoles of $\mathrm{K}^{+}$is equal to twice the number of mmoles of $\mathrm{K}_{2} \mathrm{SO}_{4}$ because each one mmole of $\mathrm{K}_{2} \mathrm{SO}_{4}$ contains 2 mmoles of $\mathrm{K}^{+}$, while each one mmole of KCl contains one mmole of $\mathrm{K}^{+}$. Therefore, the following equation can be written :
mmoles $\mathrm{K}^{+} / 300 \mathrm{~mL}=$ mmoles $\mathrm{KCl}+2 \times$ mmoles $\mathrm{K}_{2} \mathrm{SO}_{4}$
$=100 \times 0.25+2 \mathrm{X} 200 \mathrm{X} 0.1$
$=65$ mmoles $\mathrm{K}^{+} / 300 \mathrm{~mL}$

$$
g K^{+} / L \quad=\frac{65 X 1 \sigma^{3} X 39.1}{300} \times 1 \sigma^{3}=8.47
$$

## Chemical Method ( Molarity Examples)

Example : Calculate the weight of $\mathrm{Na}_{2} \mathrm{SO}_{4}(\mathrm{mw}=106)$ required to prepare 250 ml solution of $0.1 \mathrm{M} \mathrm{Na}^{+}$using a $\mathrm{Na}_{2} \mathrm{SO}_{4}$ reagent that has a purity of $90 \%_{\mathrm{w} / \mathrm{w}}$ ?
Solution : Note that each one mmole of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ contains 2 mmoles of $\mathrm{Na}^{+}$. Therefore, the following equation can be written :

$$
\begin{aligned}
& \text { mmoles } \mathrm{Na}_{2} \mathrm{SO}_{4}=\frac{\text { mmoles } \mathrm{Na}^{+}}{2}=\frac{250 \times 0.1}{2}=12.5 \\
& \text { Wt. Pure } \mathrm{Na}_{2} \mathrm{SO}_{4}=12.5 \times 106=1325 \mathrm{mg}=1.325 \mathrm{~g} \\
& \text { Wt. of }\left(90 \%_{W / W} \mathrm{Na}_{2} \mathrm{SO}_{4}\right)=\frac{100 \times 1.325}{90}=1.47 \mathrm{~g}
\end{aligned}
$$

## Chemical Method ( Molarity Examples)

Example: Calculate the molar concentration of 2000 ppm of $\mathrm{Pb}^{2+}(\mathrm{aw}=207)$ ? Solution : $200 \mathrm{ppm}=2000 \mathrm{mg} / \mathrm{L}$

$$
M=\frac{\left[(2000 \mathrm{mg} / L) X 10^{-3} \mathrm{~g} / L\right.}{207}=0.01 \text { moles } / L
$$

Example : Calculate the concentration in ppm unit of o. $1 \mathrm{M} \mathrm{Pb}^{2+}$ solution?
Solution :

$$
\begin{aligned}
\operatorname{Ppm} & =0.1(\text { moles } / \mathrm{L}) \times 207(\mathrm{~g} / \mathrm{L}) \times 10^{3}(\mathrm{mg} / \mathrm{L}) \\
& =0.1(\mathrm{moles} / \mathrm{L}) \times 207(\mathrm{~g} / \mathrm{L}) \times 10^{3}(\mathrm{mg} / \mathrm{L}) \\
& =2070 \mathrm{mg} / \mathrm{L}
\end{aligned}
$$


$m=2.5 g \rightarrow \times 1000=2500 \mathrm{Cog}$
$V=1250 \mathrm{~m} L \rightarrow-1000=1.250 \mathrm{~L})$
$C=\frac{m}{V}=\frac{2500 \mathrm{mg}}{1.25 \mathrm{~L}}=2000 \frac{\mathrm{mg}}{\mathrm{L}}=2000 \mathrm{pm}$
Esample 2:
ifi.3xi6 mole of Barium Nitrate b dibulved in 750 mL of
water, what would the concentration be in ppan?

## Chemical Method ( Normality)

Normality or Normal concentration (N) :
The normal concentration reflects either:
1- the number of equivalent weights
( eq.wts.) of a solute in one liter of a solution and can be obtained by dividing the number of eq. wts. of solute on the volume of the solution in liters as indicated by the following formula :

$$
\left.N=\frac{\text { no. eq.wts of solu. }}{\text { Vol.of soln. }(L)}=\frac{\left(\frac{W t . o f ~ s o l u . ~}{}(g)\right.}{\text { eq.wt.of solu. }}\right)
$$

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## Chemical Method ( Normality)

2- Or the number of milliequivalent weights ( meq. Wts.) of a solute in one mL of a solution and can be obtained by dividing the number of meq. wts. of a solute on the volume of the solution in mL as indicated by the following formula :

$$
N=\frac{\text { no.meq.wts of solut }}{\text { Vol.of soln. }(\mathrm{mL})}=\frac{\left(\frac{\text { Wts.of solu. }(\mathrm{mg})}{\text { eq.wt.of solu. }}\right)}{\text { Vol.of soln. }(\mathrm{mL})}
$$

Note that we can calculate the number of equivalent weights of a solute by dividing its weight in grams on its equivalent weight and also we can calculate the number of meq.wts. of a solute by dividing its weight in mg on its equivalent weight as expressed in the above formulas .

## Chemical Method (Normality)

Equivalent Weight ( eq.wt. ) : Equivalent weight of a substance can be calculated by dividing its molecular weight on the number of active units in one molecule of this substance (h) thus :

The active units in the acid - base reactions are the number of $\mathrm{H}^{+}$ions liberated by a single molecule of an acid or reacted with a single molecule a of a base as shown by the following formulas .

## Chemical Method ( Normality)

$$
\begin{aligned}
& \mathrm{CH}_{3} \mathrm{COOH} \leftrightarrow \mathrm{H}^{+}+\mathrm{CH}_{3} \mathrm{COO}^{-}: \quad \text { (eq. wt. of } \mathrm{CH}_{3} \mathrm{COOH}=\mathrm{mw} / 1 \text { ) } \\
& \mathrm{H}_{2} \mathrm{SO}_{4} \leftrightarrow 2 \mathrm{H}^{+}+\mathrm{SO}_{4}{ }^{2-} \text { : (eq. wt. of } \mathrm{H}_{2} \mathrm{SO}_{4}=\mathrm{mw} / 2 \text { ) } \\
& \mathrm{Ba}(\mathrm{OH})_{2}+2 \mathrm{H}^{+} \leftrightarrow \mathrm{Ba}^{2+}+2 \mathrm{H}_{2} \mathrm{O} \text { : (eq. wt. of } \mathrm{Ba}(\mathrm{OH})_{2}=\mathrm{mw} / 2 \text { ) } \\
& \mathrm{NaOH}+\mathrm{H}^{+} \leftrightarrow \mathrm{Na}^{+}+\mathrm{H}_{2} \mathrm{O} \quad \text { : (eq. wt. of } \mathrm{NaOH}=\mathrm{mw} / 1 \text { ) } \\
& \mathrm{NH}_{3}+\mathrm{H}_{2} \mathrm{O} \leftrightarrow \mathrm{NH}_{4}^{+}+\mathrm{OH}^{-} \text {: (eq. wt. of } \mathrm{NH}_{3}=\mathrm{mw} / 1 \text { ) } \\
& \mathrm{Na}_{2} \mathrm{CO}_{3}+\mathrm{H}^{+} \leftrightarrow \mathrm{HCO}_{3}^{-}+2 \mathrm{Na}^{+} \quad \text { (eq. wt. of } \mathrm{Na}_{2} \mathrm{CO}_{3}=\mathrm{mw} / 1 \text { ) } \\
& \mathrm{Na}_{2} \mathrm{CO}_{3}+2 \mathrm{H}^{+} \leftrightarrow \mathrm{H}_{2} \mathrm{CO}_{3}+2 \mathrm{Na}^{+} \text {: (eq. wt. of } \mathrm{Na}_{2} \mathrm{CO}_{3}=\mathrm{mw} / 2 \text { ) } \\
& \mathrm{H}_{3} \mathrm{PO}_{4} \leftrightarrow \mathrm{H}_{2} \mathrm{PO}_{4}^{-}+\mathrm{H}^{+} \text {: (eq. wt. of } \mathrm{H}_{3} \mathrm{PO}_{4}=\mathrm{mw} / 1 \text { ) } \\
& \mathrm{H}_{3} \mathrm{PO}_{4} \leftrightarrow \mathrm{HPO}_{4}^{2-}+2 \mathrm{H}^{+}:\left(\text {eq. wt. of } \mathrm{H}_{3} \mathrm{PO}_{4}=\mathrm{mw} / 2\right. \text { ) } \\
& \mathrm{H}_{3} \mathrm{PO}_{4} \leftrightarrow \mathrm{PO}_{4}{ }^{3-}+3 \mathrm{H}^{+} \text {: (eq. wt. of } \mathrm{H}_{3} \mathrm{PO}_{4}=\mathrm{mw} / 3 \text { ) }
\end{aligned}
$$

## Chemical Method ( Normality)

The active units in the oxidation reduction reactions is the number of electrons (e ) that has been transfered during the reaction as shown by the following formulas :

## Chemical Method ( Molarity Examples)

$$
\begin{aligned}
& \mathrm{Sn}^{4+}+2 \mathrm{e} \leftrightarrow \mathrm{Sn}^{2+}: \text { ( eq. wt. of } \mathrm{Sn}=\mathrm{aw} / 2 \text { ) } \\
& \mathrm{Fe}^{3+}+\mathrm{e} \leftrightarrow \quad \mathrm{Fe}^{2+} \quad: \text { (eq. wt. of } \mathrm{Fe}=\mathrm{aw} / 1 \text { ) } \\
& \mathrm{MnO}_{4}^{-}+5 \mathrm{e}+8 \mathrm{H}^{+} \leftrightarrow \mathrm{Mn}^{2+}+4 \mathrm{H}_{2} \mathrm{O}: \text { (eq. wt of } \mathrm{MnO}_{4}^{-}=\mathrm{mw} / 5 \text { ) } \\
& \mathrm{NO}_{3}^{-}+2 \mathrm{e} \leftrightarrow \mathrm{NO}_{2}^{-} \quad: \quad \text { (eq. wt. of } \mathrm{NO}_{3}^{-}=\mathrm{mw} / 2 \text { ) } \\
& \mathrm{Cr}_{2} \mathrm{O}_{7}^{2-}+14 \mathrm{H}^{+}+6 \mathrm{e} \leftrightarrow 2 \mathrm{Cr}^{3+}+7 \mathrm{H}_{2} \mathrm{O} \quad \text { (eq.wt. of } \mathrm{Cr}_{2} \mathrm{O}_{7}^{2-}=\mathrm{mw} / 6 \text { ) }
\end{aligned}
$$

For information on the active units in the precipitation reactions and the complex-formation reactions sea reference 1 . However, the malor concentration is overshadowing the normal concentration, which is rarely used now .

## Chemical Method ( Molarity and Normality)

The Relationship between M and N for the same solute in the same solution :

$$
\begin{aligned}
& \because M=\frac{\frac{W t .}{m w}}{V} \quad \therefore m w=\frac{W t_{-}}{M X V} \quad \text { and } \quad \because N=\frac{\frac{W t_{-}}{e q t_{-}}}{V} \therefore \text { eq.wt. }=\frac{W t .}{N X V} \\
& \\
& \text { By substitutung } m w \text { and eq.wt. from the above equationsin the } \\
& \text { following equation } \\
& \\
& \text { eq.wt. }=\frac{m w}{h} \\
& \text { we get: } \\
& \mathrm{N}=\mathrm{M} \times \mathrm{h}
\end{aligned}
$$

Since $h \geq 1$ therefore $N \geq M$

## Chemical Method ( Normality Examples)

Example : Calculate the normality of $0.53 \mathrm{~g} /$ 100 mL solution of $\mathrm{Na}_{2} \mathrm{CO}_{3}(\mathrm{mw}=106)$ when reacted as follow :
$\mathrm{Na}_{2} \mathrm{CO}_{3}+2 \mathrm{H}^{+} \rightarrow \mathrm{H}_{2} \mathrm{CO}_{3}+2 \mathrm{Na}$
Solution :

$$
\begin{aligned}
& \text { eq.wt. of } \mathrm{Na}_{2} \mathrm{CO}_{3}=\frac{106}{2}=53 \\
& N=\frac{\frac{0.53 \times 1000(\mathrm{~mL})}{100(\mathrm{~mL})}(\mathrm{g} / \mathrm{L})}{53}=0.1
\end{aligned}
$$

Example : In the last example calculate the normality of a solution of $\mathrm{Na}_{2} \mathrm{CO}_{3}$ prepared by dissolving 2.5 g of $\mathrm{Na}_{2} \mathrm{CO}_{3}$ in water and completing the volume with water to 200 mL ?

$$
=\frac{5(\mathrm{mg})}{5(g) X 10^{3}(\mathrm{mg})} \times 10^{6}=\frac{5(\mathrm{mg}) \times 10^{-3}(\mathrm{~g})}{\text { SOlution }^{(g)}} \times 10^{6}
$$

$$
N=\frac{\frac{2.5(\mathrm{~g})}{53}}{200(\mathrm{~mL}) X 10^{-3}(L)}=0.24 \mathrm{~N}
$$

## Chemical Method ( Normality)

Example : Calculate the normality of $5.267 \mathrm{~g} / \mathrm{L}$ solution of $\mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}(\mathrm{mw}=294.2)$ when $\mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}$ is reduced to $\mathrm{Cr}^{3+}$

Solution :

$$
\begin{aligned}
& \text { eq. wt. of } \mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}=\frac{294.2}{6}=49.03 \\
& N=\frac{5.267(\mathrm{~g})}{49.03}=0.1074 \mathrm{~N}
\end{aligned}
$$

Example : In the last example if the concentration of $\mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}$ solution is 0.5 M , calculate its normality?
Solution: $\mathrm{N}=0.5 \mathrm{X} 6=3.0$

## Preparation by dilution

Dilution is a reduction in the concentration of a chemical. It is the process of reducing the concentration of a solute in solution, usually simply by mixing with more solvent. To dilute a solution means to add more solvent without the addition of more solute. The resulting solution is thoroughly mixed so as to ensure that all parts of the solution are identical. For example, if there are 10 grams of salt (the solute) dissolved in 1 liter of water (the solvent), this solution has a certain salt concentration/molarity. If one adds 1 liter of water to this solution the salt concentration is reduced. The diluted solution still contains 10 grams of salt (i.e. 0.171 moles of NaCl$)$.Mathematically this relationship can be shown in the equation:

$$
C_{1} \times V_{1}=C_{2} \times V_{2}
$$

Where, $\mathrm{C}_{1}=$ Initial concentration or molarity, $\mathrm{V}_{1}=$ Initial volume, $\mathrm{C}_{2}=$ Final concentration or molarity,$V_{2}=$ Final Volume .

## Preparation by dilution

The main reason for preparing high concentrated stock solution is that it is more accurate to weigh large amount than to weigh very small amount . Note that the balance error is constant whether you weigh large or small quantity .

## PFIRCTICET EXETRCTSE



 amiration of iter momploge stock wditiont?


$$
\text { a) } \begin{aligned}
& \begin{aligned}
\mathrm{Pb}(\mathrm{NO})_{2} & \longrightarrow \mathrm{~Pb}^{2+}+2 \mathrm{No}_{3}^{-} \\
\left\{\begin{array}{l}
2.5 \mathrm{M} \\
\mathrm{~V}=2 . \mathrm{bt}
\end{array}\right. & 0.05 \mathrm{mk}
\end{aligned} \\
& 2.5 \times \mathrm{x}=0.05 \\
& x=0.05 \times 1000
\end{aligned}
$$

## Active Concentration or activity ( a )

The activity $a_{x}$ represents the concentration of the species $\mathbf{x}$ that reacted where as [x] represent the added concentration i.e the molar concentration. Depending on the ionic strength not necessary all added ions react with each other i.e $\mathrm{a}_{\mathrm{x}}<[\mathrm{x}]$ The relationship between $\mathrm{a}_{\mathrm{x}}$ and [ x ] is as follows : $\mathrm{a}_{\mathrm{x}}=f_{\mathrm{x}}$ [ x ]
Where $f_{\mathrm{x}}$ is the activity coefficient of the species x and depends on the ionic strength of the solution thus:

$$
\log f_{\mathrm{x}}=0.5 \mathrm{Z}_{\mathrm{x}}^{2} \sqrt{\mu}
$$

and $\mu$ is the ionic strength of the solution Where $Z_{x}$ is the charge on the species x and can be calculated from the following equation : $\mu=1 / 2 \sum[\mathrm{i}] \mathrm{Z}_{\mathrm{i}}{ }^{2}$ Where [ i ] and $\mathrm{Z}_{\mathrm{i}}$ are the molar concentration and the charge on each species i present in the solution .In analytical chemistry we use very dilute concentrations in which $\mu \approx$ zero and accordingly $f_{\mathrm{x}}=1$ and $\mathrm{a}_{\mathrm{x}}=[\mathrm{x}]$. Therefore in analytical chemistry we use [ x ] instead of $\mathrm{a}_{\mathrm{x}}$ to facilitate the calculations. For more details on the activity see references 1,5 and 6 .

## Summary

We discussed the two main methods for expressing concentration namely, physical and chemical methods. The student has been trained to prepare a stock solution using various units such as molarity, normality, $\mathrm{ppm}, \mathrm{ppb}, \%_{\mathrm{w} / \mathrm{w}}, \%_{\mathrm{w} / \mathrm{v}}$ and $\%_{v / v}$.

The student has been taught, the relationship between activity and molarity, how to convert a concentration unit to another unit and how to prepare a stock standard solution and other dilute standard solution by dilution from the stock solution .

We used some videos and pictures to illustrate some of the concepts of the subject of this unit.

## Tutorial

Exercise 1 : Calculate the molarity of $69 \%_{w / v}$ solution of $\mathrm{HNO}_{3}$ ( $\mathrm{mw}=63$, specific gravity $=1.42 \mathrm{~g} / \mathrm{mL})$. Calculate the volume of this solution needed for the preparation of 500 mL solution of $0.1 \mathrm{M} \mathrm{HNO}_{3}$ ?

Your answer :

## Tutorial

Answer 1 :
$\mathrm{Wt}_{\mathrm{HNNO}}^{3} \mathbf{= 9 7 9 . 8} \mathrm{~g} / \mathrm{L}$
Molarity of $\mathbf{H N O}_{3}=979.8 / 63=15.6$

$$
\begin{aligned}
& 500 \times 0.1=15.6 \times \mathrm{V}_{\mathrm{mL}} \\
& \mathrm{~V}_{\mathrm{mL}}=3.2 \mathrm{~mL}
\end{aligned}
$$

## Tutorial

## Exercise 2: How many grams of $\mathrm{K}(\mathrm{aw}=39)$ are contained in 100 mL solution of 0.5 M of $\mathrm{K}_{2} \mathrm{SO}_{4}$ ?

## Your answer :

## Tutorial

Answer 2 :
$0.5 \mathrm{M}=0.5\left(\right.$ moles $\left.\mathrm{K}_{2} \mathrm{SO}_{4} / \mathrm{L}\right)$ equivalent to $2 \mathrm{X} 0.5($ moles $\mathrm{K} / \mathrm{L})$ gK/L=2X0.5x39.1 (gK/L)

$$
g K / L=\frac{2 X 0.5 \times 39.1(g K / L) X 100}{1000}=3.91(g / K / 100 \mathrm{~mL})
$$

## Tutorial

Exercise 3: How many grams of $\mathrm{Na}_{2} \mathrm{CO}_{3}(\mathrm{mw}=106)$ are required for the preparation of 500 mL of 0.1 M of $\mathrm{Na}^{+}$?

## Your answer :

## Tutorial

Answer 3 :
mmoles $\mathrm{Na}_{2} \mathrm{CO}_{3}$ required $=\frac{\text { mmoles } \mathrm{Na}}{2}=\frac{500 \mathrm{X} \mathrm{0.1}}{2}=25$
Wt. $N a_{2} \mathrm{CO}_{3}=25 \times 106=2.65 \mathrm{mg}=0.00265 \mathrm{~g}$

## Tutorial

Exercise 4 : How many grams of a solute in 20 mL solution of $10 \%_{\mathrm{w} / \mathrm{w}}$ of the solute ( the specific gravity of this solution is $2 \mathrm{~g} / \mathrm{mL}$ )?

Your answer :

## Tutorial

Solution 4 :

$$
\begin{aligned}
& 10=\frac{\text { Wt. of solu. }(\mathrm{g} / 20 \mathrm{~mL})}{20 \times 2(\mathrm{~g} \text { soln./20mL)}} \times 100 \\
& \text { Wt. of solu. }=4(\mathrm{~g} / 20 \mathrm{~mL})
\end{aligned}
$$

## Tutorial

EXERCISE 5: What is the concentration of $0.1 \mathrm{M} \mathrm{Na}_{3} \mathrm{PO}_{4}(\mathrm{mw}=164)$ solution in ppb unit?

Your answer :

## Tutorial

Solution 5 :

$$
\begin{aligned}
0.1 M & =0.1(\text { moles } / L)=0.1 X 164(g / L) \\
& =0.1 \times 164 \times 10^{3}(\mathrm{mg} / \mathrm{L}) \\
& =16400 \mathrm{ppm} \\
& =16400000 \mu g / L=16400000 \mathrm{ppb}
\end{aligned}
$$

## Tutorial

Exercise 6 : You have 100 ml of a solution of a substance containing 2 g of this substance
. Calculate its concentration in ppb and ppm units ?

Your answer :

## Tutorial

Answer 6 :

$$
\begin{aligned}
& p p b=\frac{2(g) X 10^{6}(\mu g)}{100(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}=20000000(\mu \mathrm{~g} / \mathrm{L}) \\
& p p m=\frac{2(\mathrm{~g}) \times 10^{3}(\mathrm{mg})}{100(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}=20000(\mathrm{mg} / \mathrm{L})
\end{aligned}
$$

## Last update : 1/1/2016

## Tutorial

Exercise 7 : Calculate the concentration of $\mathrm{Na}^{+}(\mathrm{aw}=23$ ) in ppm units in a solution resulting from mixing 150 mL of 0.2 M of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ with 200 mL of 0.15 M of NaCl

## Your answer:

## Tutorial

## Answer 7 :

mmoles $\mathrm{Na}=$ mmoles $\mathrm{NaCl}+2 \mathrm{X}$ mmoles $\mathrm{Na}_{2} \mathrm{SO}_{4}$

$$
=200 \times 0.15+2 \times 150 \times 0.2=90(\text { mmoles } \mathrm{Na} / 350 \mathrm{~mL})
$$

$$
\begin{aligned}
\text { ppm } \quad N a & =\frac{90(\text { mmoles } \mathrm{Na} / 350 \mathrm{~mL}) \times 23(\mathrm{mg} \mathrm{Na} / 350 \mathrm{~mL}) \times 10^{3}}{350 \mathrm{~mL}} \\
& =5914.3(\mathrm{mg} \mathrm{Na} / \mathrm{L})
\end{aligned}
$$

## Tutorial

Exercise 8: $120 \mathrm{mg} / 100 \mathrm{~mL}$ solution of substance $\mathrm{A}(\mathrm{mw}=60)$ has been prepared . Calculate the followings :
( a ) The molar concentration of substance A in the solution ?
( b ) The concentration of substance A in ppm units in the solution?
(c ) The concentration of substance A in $\%_{w / v}$ units in the solution?
(d) If the solution has a specific gravity of $1.2 \mathrm{~g} / \mathrm{mL}$ calculate the concentration of A in $\%_{\mathrm{w} / \mathrm{w}}$ units in the solution?

## Tutorial

Answer 8 :

$$
\left(\text { a) } M_{A}=\frac{\text { mmoles } A}{\text { Vol. }(\mathrm{mL})}=\frac{\frac{120(\mathrm{mg})}{60}(\text { mmoles } / 100 \mathrm{~mL})}{100 \mathrm{~mL}}=0.02 \mathrm{M}\right.
$$

(b) $p p m_{A}=\frac{120(\mathrm{mg})}{100(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}=1200\left(\mathrm{mg}_{A} / \mathrm{L}\right)$
(c) $\%_{w / v}=\frac{\text { Wt.of solu. }(\mathrm{g})}{\text { Vol.of so } \ln .(\mathrm{mL})} X 100=\frac{120(\mathrm{mg}) \times 10^{-3}(\mathrm{~g})}{100(\mathrm{~mL})} \times 100$
$=1.2 \times 10^{-3} \%$
(d) $\%_{w / w}=\frac{\text { Wt.of solu. }(\mathrm{g})}{\text { Wt.of soln} .(\mathrm{g})} \times 100=\frac{120(\mathrm{mg}) \times 10^{-3}(\mathrm{~g})}{100(\mathrm{~mL}) \times 1.2(\mathrm{~g})} \times 100$
$=0.1 \%$

## Last update : 1/1/2016

## Tutorial

Exercise 9 : How many mL of pure ethanol in 250 mL of $50 \%_{\mathrm{V} / \mathrm{N}}$ solution of ethanol ?

Your answer:

## Tutorial

Answer 9 :

$$
\begin{aligned}
& \%_{v / v}=\frac{\text { Vol.of solu. }(m L)}{\text { Vol.of soln. }(m L)} \times 100 \\
& 50 \%_{v / v}=\frac{\text { Vol.of ethanol }(m L)}{250(m L)} \times 100 \\
& \text { Vol.of pure ethanol }=125(m L)
\end{aligned}
$$

## Tutorial

Exercise 10 : How many grams of substance A ( $\mathrm{mw}=50$ ) in 100 mL solution of 0.1 M of substance A ?

## Your answer :

## Tutorial

Answer 10

$$
\begin{aligned}
0.1 M_{A} & =0.1(\text { mmoles } / L)=0.1 \times 50\left(g_{A} / L\right) \\
& =\frac{0.1 X 50\left(g_{A} / L\right)}{1000} \times 100=0.5\left(g_{A} / 100 m L\right)
\end{aligned}
$$

Or

$$
\begin{aligned}
\text { mmoles } A & =100 \times 0.1(\text { mmoles } A / 100 \mathrm{~mL}) \\
g_{A} / 100 m L & =100 \times 0.1 \times 50\left(\mathrm{mg}_{A} / 100 \mathrm{~mL}\right) \times 10^{3}(\mathrm{~g} / \mathrm{L}) \\
& =0.5 \mathrm{~g} / 100 \mathrm{~mL}
\end{aligned}
$$

## Tutorial

Exercise 11: Calculate the molar concentration of substance A in 2000 ppm solution of substance $\mathrm{A}(\mathrm{mw}=50)$ ?

## Your answer:

## Tutorial

Answer 11 :

$$
\begin{aligned}
& 2000 \mathrm{ppm}=2000(\mathrm{mg} / \mathrm{L})=2000 \mathrm{X10} 0^{-3}(\mathrm{~g} / \mathrm{L}) \\
& \qquad=\frac{2000 X 10^{-3}(\mathrm{~g} / \mathrm{L})}{50(\mathrm{mw})}(\text { moles } / \mathrm{L})=0.04 \mathrm{M}
\end{aligned}
$$

## Tutorial

Exercise 12: Calculate the normal concentration ( N ) of 0.1 M solution of $\mathrm{NO}_{3}{ }^{-}$ which has been reduced to $\mathrm{NO}_{2}^{-}$?

## Tutorial

Answer 12: The oxidation state of nitrogen in $\mathrm{NO}_{3}{ }^{-}$is $5+$ while in $\mathrm{NO}_{2}{ }^{-}$is $3+$ , so the number of active units $h$ is equal to 2 :
$\mathrm{N}=\mathrm{M} \times \mathrm{h}=0.1 \times 2=0.2 \mathrm{~N}$

## Last update : 1/1/2016

## Tutorial

Exercise 13: 4.9 g of $\mathrm{H}_{3} \mathrm{PO}_{4}(\mathrm{mw}=98)$ has been dissolved in water and the volume has been completed to one liter . If this acid was participated in a neutralization reaction and was converted to $\mathrm{HPO}_{4}{ }^{2-}$, calculate the normality N of the solution ?

Your answer :

## Tutorial

Answer 13 : In this neutralization reaction $\mathrm{H}_{3} \mathrm{PO}_{4}$ liberated $2 \mathrm{H}^{+}$, therefore $\mathrm{h}=2$

$$
\begin{aligned}
& \text { eq.wt } \cdot_{H_{3} \mathrm{PO}_{4}}=\frac{m w_{H_{3} \mathrm{PO}_{4}}}{h}=\frac{98}{2}=49 \\
& N=\frac{\text { no.eq.wts }}{\text { Vol. }(l)}=\frac{\frac{4.9}{49}}{1}=0.1 \mathrm{~N}
\end{aligned}
$$

## Tutorial

Exercise 14: 2.5 g of $\mathrm{Na}_{2} \mathrm{SO}_{4}(\mathrm{mw}=106)$ has been dissolved in water and the volume wa completed to 500 mL , calculate the followings :

1- The molar concentration of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ ?
2- The molar concentration of $\mathrm{Na}^{+}$?
3- The concentration of $\mathrm{Na}^{+}$in ppm units ?

## Your answer :

## Tutorial

Answer 14 :
(1)

$$
M_{\mathrm{Na}_{2} \mathrm{SO}_{4}}=\frac{\frac{2.5(\mathrm{~g})}{106(\mathrm{mw})}}{500 \mathrm{~mL} \times 10^{-3}(L)} \approx 0.05 \mathrm{M}
$$

(2)

$$
M_{N a}=M_{\mathrm{Na}_{3} \mathrm{SO}_{4}} \times 2=0.05 \times 2=0.1 \mathrm{M}
$$

(3)

$$
\begin{array}{r}
\mathrm{Na}(\mathrm{ppm})=M_{N a} X a W_{N a}(\mathrm{~g} / \mathrm{L}) \times 10^{3}(\mathrm{mg} / \mathrm{L}) \\
=0.1 \times 23 \times 10^{3}=2300 \mathrm{mg} / \mathrm{L}
\end{array}
$$

## Tutorial

Exercise 15: 2.5 g of $\mathrm{Na}_{2} \mathrm{SO}_{4}(\mathrm{mw}=106)$ has been dissolved in water and the volume was completed to 500 mL , calculate the followings :

1- The concentration of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ in $\mathrm{g} / \mathrm{L}$ unit ?
2- The concentration of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ in $\%_{w / v}$ unit ?

## Your answer:

## Tutorial

Answer 15 :

$$
\text { (1) } \begin{aligned}
\mathrm{Na}_{2} \mathrm{SO}_{4}(\mathrm{~g} / L) & =M_{\mathrm{NaSO}_{4}} \times m w_{\mathrm{NaSO}_{4}}=0.047 \times 106 \\
& \approx 5(\mathrm{~g} / \mathrm{l}) \\
\text { or } \mathrm{Na}_{2} \mathrm{SO}_{4}(\mathrm{~g} / \mathrm{L}) & =\frac{2.5(\mathrm{~g})}{500(\mathrm{~mL}) \times 10^{-3}(L)}=5(\mathrm{~g} / \mathrm{L})
\end{aligned}
$$

(2) $\quad \mathrm{Na}_{2} \mathrm{SO}_{4}\left(\%_{w / v}\right)=\frac{2.5(\mathrm{~g})}{500(\mathrm{~mL})} \times 100=0.5 \%$

## Tutorial

Exercise 16:2.5 g of $\mathrm{Na}_{2} \mathrm{SO}_{4}(\mathrm{mw}=106)$ has been dissolved in water and the volume was completed to 500 mL , calculate the followings :

1- The concentration of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ in ppb unit ?
2- Number of mmoles of $\mathrm{Na}^{+}$in 100 mL of this solution ?

Your answer :

## Tutorial

Answer 16 :
(1) $\mathrm{Na}_{2} \mathrm{SO}_{4}(\mathrm{ppb})=\frac{2.5(\mathrm{~g}) \times 10^{6}(\mu \mathrm{~g})}{500(\mathrm{~mL}) \times 10^{-3}(\mathrm{~L})}$

$$
=5 \times 10^{6}(\mu \mathrm{~g} / L)
$$

(2) No. mmoles Na in $100 \mathrm{~mL}=\mathrm{M}_{\mathrm{Na}} \mathrm{X}$ Vol. (mL)

$$
=0.1 \times 100=10
$$

## Tutorial

Exercise 18 : Describe the preparation of 500 mL of 0.5 M of a solute solution from 2 M solution of this solute ?

## Your answer :

## Tutorial

## Answer 18 :

This is an example of preparing a dilute solution from a concentrated one for the same solute :

$$
\begin{aligned}
500 \times 0.5 & =2 \mathrm{X} \mathrm{~V} \\
\mathrm{~V}_{\mathrm{ml}} & =125 \mathrm{ml}
\end{aligned}
$$

125 mL of 2 M solution can be diluted to 500 mL to get 0.5 M solution

## Tutorial

Exercise 19: Calculate the number of mmoles of $\mathrm{KIO}_{3}(\mathrm{mw}=214)$ present in 0.5 g of pure $\mathrm{KIO}_{3}$ ?

Your answer :

## Tutorial

Answer 19 :

$$
\mathrm{KIO}_{3}(\text { mmoles })=\frac{0.5(\mathrm{~g}) X 10^{3}(\mathrm{mg})}{214(\mathrm{mw})}=2.3 \text { mmoles }
$$

## Tutorial

Exercise 20 : 0.5 g of a sample contain 0.5 mg of $\mathrm{Cr}_{2} \mathrm{O}_{3}$. Express the concentration of $\mathrm{Cr}_{2} \mathrm{O}_{3}$ in this sample using the following units : (1) $\%_{w / w}$ unit (2) ppm unit

Your answer:

## Tutorial

Answer 20 :
(1) $\quad \mathrm{Cr}_{2} \mathrm{O}_{3}\left(\%_{\mathrm{w} w}\right)=\frac{0.5(\mathrm{mg})}{0.5(\mathrm{~g}) \times 10^{3}(\mathrm{mg})} \times 100=0.1$
(2) $\quad \mathrm{Cr}_{2} \mathrm{O}_{3}(\mathrm{ppm})=\frac{0.5(\mathrm{mg})}{0.5(\mathrm{~g}) \times 10^{3}(\mathrm{mg})} \times 10^{6}=1000$
or

$$
\mathrm{Cr}_{2} \mathrm{O}_{3}(\mathrm{ppm})=\frac{0.5(\mathrm{mg})}{0.5(\mathrm{~g}) \times 10^{-3}(\mathrm{~kg})}=1000
$$

## Tutorial

Exercise 21 : Describe the preparation of one liter solution of $0.001 \mathrm{M} \mathrm{Cl}^{-}$from a solution of KCl that is $250 \mathrm{ppm} \mathrm{K}^{+}$?

Your answer :

## Tutorial

Answer 21 :

$$
\begin{aligned}
& a w_{K}=39 \\
& M_{K}=M_{C l}=M_{K C l} \\
& \quad=\frac{250(\mathrm{mg} / \mathrm{L}) \times 10^{-3}(\mathrm{~g} / \mathrm{L})}{39(a \mathrm{w})}=6.4 \times 10^{-3} \mathrm{M} \\
& \quad \begin{array}{l}
0.001 \mathrm{M} \times 1000(\mathrm{~mL})=6.4 \times 10^{-3} M \times V_{m L} \\
V_{m L}
\end{array}=156.25 \mathrm{~mL} \\
& 156.25 \mathrm{~mL} \text { of } \mathrm{KCl} \text { solution will be diluted to one liter } .
\end{aligned}
$$

## Tutorial

Exercise 22 : How many grams of $\mathrm{K}^{+}(\mathrm{aw}=39)$ are contained in 500 ppm of $\mathrm{KClO}_{3}$ ( $\mathrm{mw}=122.5$ ) solution?

Your answer :

## Tutorial

Answer 22 :

$$
\begin{aligned}
M_{K C l O_{3}} & =\frac{500(\mathrm{mg} / \mathrm{L}) X 10^{-3}(\mathrm{~g} / \mathrm{L})}{122.5(\mathrm{mw})}=4.1 \times 10^{-3} \mathrm{M}=M_{K} \\
g K / L & =4.1 \times 10^{-3} \times 39(\mathrm{aw})=0.1599(\mathrm{~g} / \mathrm{L})
\end{aligned}
$$

## Tutorial

Exercise 23: 20 mL of a concentrated solution of a solute were diluted to 100 mL in order to prepare 0.2 M of this solute. What is the molar concentration of the concentrated solution?

## Your answer :

## Tutorial

Answer 23 :

$$
\begin{aligned}
0.2 \mathrm{X} 100 & =20 \mathrm{X} \mathrm{M} \\
\mathrm{M} & =1.0 \mathrm{M}
\end{aligned}
$$

## Tutorial

Exercise 24 : Calculate the equivalent weight of $\mathrm{H}_{2} \mathrm{C}_{2} \mathrm{O}_{4}$ ( $\mathrm{mw}=90$ ) :
( a ) When used in a neutralization reaction $\left(\mathrm{H}_{2} \mathrm{C}_{2} \mathrm{O}_{4} \rightarrow 2 \mathrm{H}^{+}+\mathrm{C}_{2} \mathrm{O}_{4}{ }^{2-}\right)$.
( b ) When used as a reducing agent $\left(\mathrm{C}_{2} \mathrm{O}_{4}{ }^{2-}-2 \mathrm{e} \rightarrow 2 \mathrm{CO}_{2}\right)$ ?

## Your answer :

## Tutorial

Answer 24 :
(a)

$$
\begin{gathered}
\mathrm{H}_{2} \mathrm{C}_{2} \mathrm{O}_{4} \rightarrow 2 \mathrm{H}^{+}+\mathrm{C}_{2} \mathrm{O}_{4}^{2-} \\
\text { equivalent weight }=\mathrm{mw} / 2=90 / 2=45
\end{gathered}
$$

(b)

$$
\mathrm{C}_{2} \mathrm{O}_{4}{ }^{2-}-2 \mathrm{e} \rightarrow 2 \mathrm{CO}_{2}
$$

$$
\text { equivalent weight }=\mathrm{mw} / 2=90 / 2=45
$$

## Tutorial

Exercise 25 : In the last question if we dissolved $0.5 \mathrm{~g} \mathrm{of}_{2} \mathrm{C}_{2} \mathrm{O}_{4}$ in water and completed the volume to 500 mL calculate its normality as is used in (a) and as is used in (b)?

## Your answer:

## Tutorial

Answer 25 :
In both cases (a) and (b) : $\quad N=\frac{\frac{0.5(g)}{45(e q . w t .)}}{500(m L) \times 10^{-3}(L)}=0.02 \mathrm{~N}$

## Tutorial

:Exercise 26 Calculate the concentration of $\mathrm{Na}^{+}$in ppm units in 0.3 M solution of $\mathrm{Na}_{2} \mathrm{SO}_{4}$ ?

Your answer :

## Tutorial

Answer 26 :

$$
0.3 \mathrm{M}\left(\mathrm{Na}_{2} \mathrm{SO}_{4}\right)=0.3\left(\text { moles } \mathrm{Na}_{2} \mathrm{SO}_{4} / \mathrm{L}\right)
$$

this equivalent to 2 X 0.3 (mmoles $\mathrm{Na} / \mathrm{L}$ )

$$
\begin{aligned}
\mathrm{ppm} \mathrm{Na} & =2 \times 0.3(\text { mmoles } \mathrm{Na} / \mathrm{L}) \times 23(\mathrm{mg} \mathrm{Na} / \mathrm{L}) \\
& =13.8(\mathrm{mg} \mathrm{Na} / \mathrm{L})
\end{aligned}
$$

## Tutorial

Exercise 27 : What weight of $\mathrm{Na}_{3} \mathrm{PO}_{4}(\mathrm{mw}=164)$ is required to prepare 200 mL solution of 0.1 M of $\mathrm{Na}^{+}$?

## Tutorial

Answer 27 :

$$
\begin{aligned}
& \text { mmoles } \mathrm{Na}_{3} \mathrm{PO}_{4}=\frac{\text { mmoles } \mathrm{Na}}{3}=\frac{200 X 0.1}{3}=6.7 \\
& \text { Wt. } \mathrm{Na}_{3} \mathrm{PO}_{4} \quad=6.7 \times 164=1098.8(\mathrm{mg}) \approx 1.099(\mathrm{~g})
\end{aligned}
$$

Tutorial
Exercise 28 : When mixing 100 mL of $0.2 \mathrm{M} \mathrm{Na}_{2} \mathrm{SO}_{4}$ with 200 mL of $0.1 \mathrm{M} \mathrm{Na}_{3} \mathrm{PO}_{4}$ Calculate the molar concentration of $\mathrm{Na}^{+}$and also the concentration of $\mathrm{Na}^{+}$in $\mathrm{g} / \mathrm{L}$ unit in the mixture ?

Your answer :

## Tutorial

Answer 28 :

$$
\begin{aligned}
\text { mmoles }_{\mathrm{Na}} / 300 \mathrm{~mL} & =2 X \text { mmoles }_{\mathrm{Na}_{2} \mathrm{~S}_{4}}+3 X \text { mmoles }_{\mathrm{Na}_{3} \mathrm{PO}_{4}} \\
& =2 X 100 X 0.2+3 X 200 X 0.1 \\
& =100\left(\text { mmoles }_{\mathrm{Na}} / 300 \mathrm{~mL}\right) \\
M_{\mathrm{Na}} & =\frac{100}{300}=0.33 \mathrm{M}
\end{aligned}
$$

## Tutorial

Exercise 29 : How to prepare 100 mL solution of 2 M NaOH ?

Your answer:

## Tutorial

Answer 29 : See the procedures on the picture on your right .


## Tutorial

Exercise 30 : A stock solution containing $\mathrm{Ba}^{2+}$ ions was prepared by dissolving 23.0 g of pure barium metal in $\mathrm{HNO}_{3}$ and diluting to 2.0 L . Calculate the molar concentration of $\mathrm{Ba}^{2+}$ in the stock solution and in the dilute solution if 125 mL of the stock solution was diluted to 500 mL ?

Your answer :

## Tutorial

Answer 30 : See the answer on
5) ^ stock solution containing $\mathrm{Ba}^{2 \prime}$ ions was prepared by dissolving 23.0 grams of pure barium metal in nitric acid and diluting to a final volume of 2.000 L . Calculate the concentrations of $\mathrm{Ba}^{25}$ ions in the stock solution and the diluted solution if 125 ml of the stock solution was diluted to 500.0 ml .

FIRST, You need to create the STOCK solution from the information given:

- 23 grams of Barium metal (dissolved in nitric acid)
- The Barium lons are then placed in a volumetric flask
- Water is added to make a 2.000 liter solution

So, convert the mass to moles:

$$
23.0 \unrhd B a \quad 1 \mathrm{~mol} \mathrm{Ba}+2
$$

## 

## Tutorial

Look at these videos and ask me or your instructor about any thing that are not clear to you .


## Tutorial

Look at these videos and ask me or your instructor about any things that are not clear to


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