

Question 2:

Coughlin et al. estimated the percentage of woman living in border counties along the southern United States with Mexico (designated counties in California, Arizona, New Mexico, and Texas) who have less than a high school education to be 19. Suppose we select three women at random.

Then

- (a) The probability that the number of women with less than a high-school education is zero

- (b) The probability that the number of women with less than a high-school education is one.....

- (c) The probability that the number of women with less than a high-school education is two or fewer.....

- (d) The probability that the number of women with less than a high-school education is two or three.....

- (e) Mean equal

- (f) Standard deviation equal

Home work:

In a survey of nursing students pursuing a master's degree, 75 percent stated that they expect to be promoted to a higher position within one month after receiving the degree. If this percentage holds for the entire population, find, for a sample of 15, the probability that the number expecting a promotion within a month after receiving their degree is:

- (a) Six.
- (b) At last seven.
- (c) No more than five.
- (d) Between six and nine, inclusive.

Question 3:

Singh et al. (A-7) Looked at the occurrence of retinal capillary hemangioma patients with von hippel - Lindau (VHL) disease. RCH is a benign vascular tumor of the retina. Using a retrospective consecutive case series review, the researchers found that the number of RCH tumor incidents followed a Poisson distribution with $\lambda = 4$ tumors per eye for patients with VHL. Using this model.

The probability that in a randomly patient with VHL

- (a) There will be exactly five occurrences of tumors per eye equals...

 - (b) There are more than five occurrences of tumors per 2-eyes equals...

 - (c) There are between five and seven occurrences tumors per eye, inclusive.....

 - (d) The mean(per eye)

 - (e) The variance (Per 2-eyes)
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Question 4:

In a certain population an average of 13 new cases of esophageal cancer are diagnosed each year. If the annual incidence of esophageal cancer follows a Poisson distribution, find the probability that the number of newly diagnosed cases of esophageal cancer will be.

(a) Exactly 10 in year

(b) At last eight in a month

(c) Between two and five, inclusive in a week

(d) Fewer than one in 2 years

(e) Mean(in week)

(f) Standard deviation(in year)

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Home work:

If the mean number of serious accident per month in a large factory (where the number of employs remains constant) is 2 ,

(a) The probability that in the current year there will be exactly seven accidents is

(b) The probability that in the current week there will be two or more accident is.....

(c) The probability that in the current day there will be no accidents is

(d) Mean(In a week)

(e) Variance(In a 3 years).....

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